

Read 5.5-5.7 and "Trig Guide to Graphing" on brewermath.com

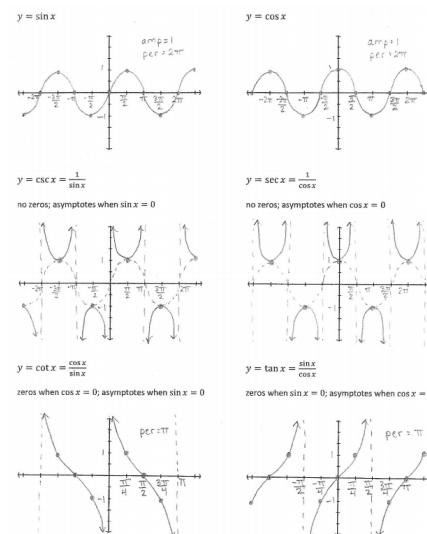
Due Wed. 12/7:

- 5.5: #55-60 all; 77-84 all
- 5.6 #1-47 odd; 49-54 all; 63-70 all

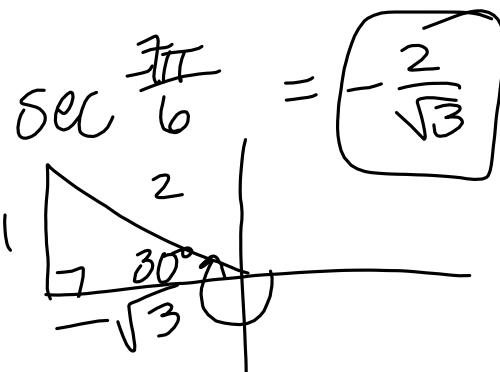
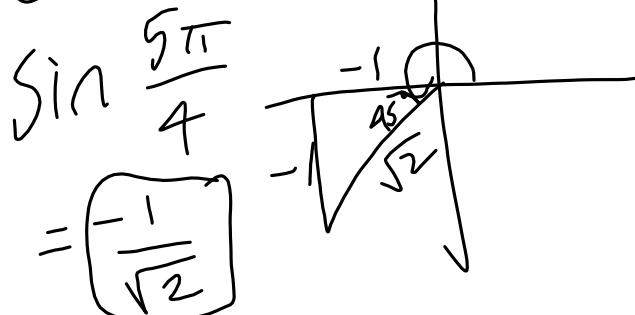
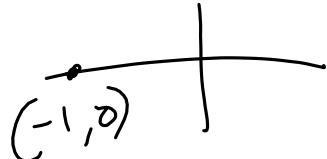
Due Wed. 12/14

- 5.7 #1-50 all; #53-64 all; 87-92 all

### Test #2 - Wed. 12/14 - Graphing + Review



$$\tan 180^\circ = \frac{\sin 180^\circ}{\cos 180^\circ} = \frac{0}{-1} = \boxed{0}$$



Summary:

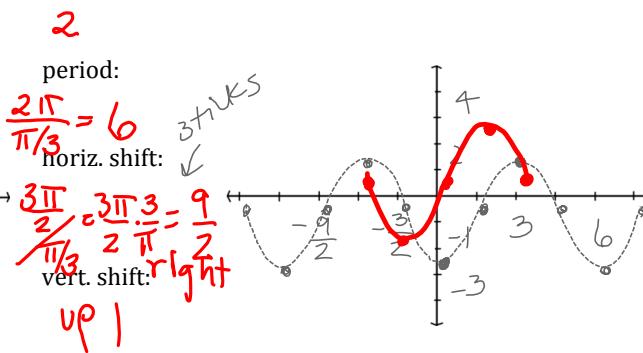
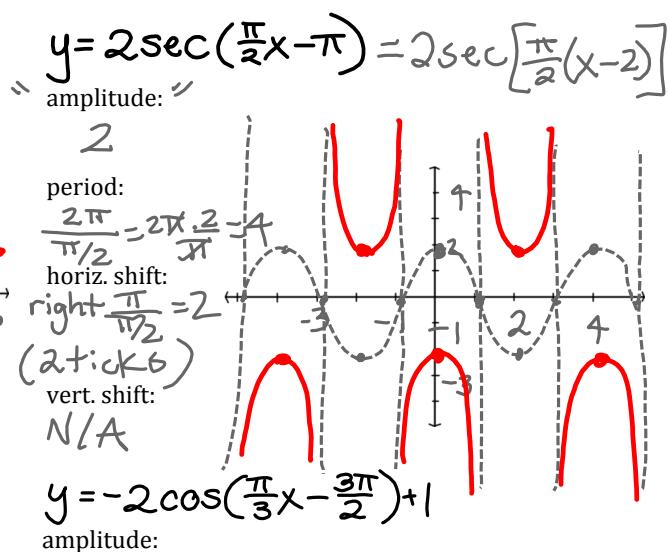
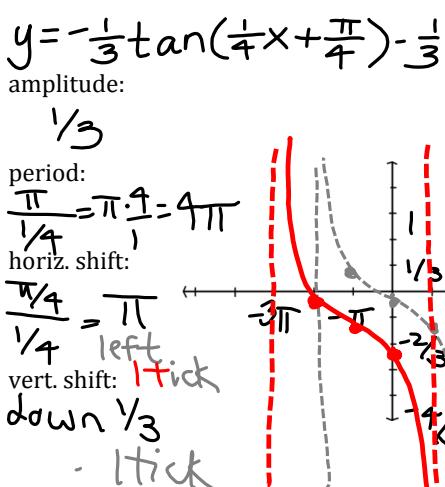
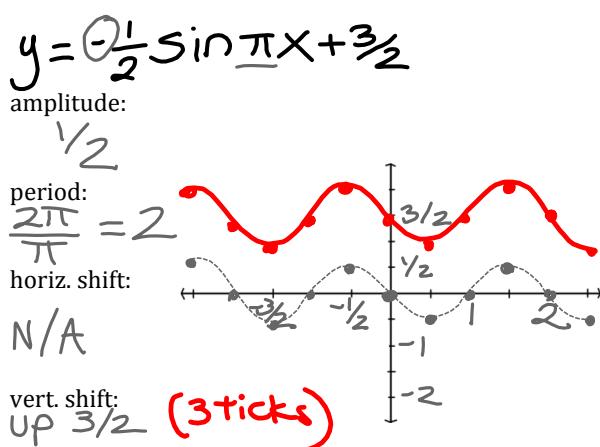
For a Trigonometric function of the form  $y = af \left( b(x + \frac{c}{b}) \right) + d$ ,

Amplitude =  $|a|$  (note that amplitude is always positive)

$$\text{Period} = \frac{\text{original period of the function } (\pi \text{ or } 2\pi)}{|b|}$$

$$\text{Horizontal shift} = \frac{c}{b}, \quad \begin{array}{l} \text{left if } \frac{c}{b} > 0 \\ \text{right if } \frac{c}{b} < 0 \end{array}$$

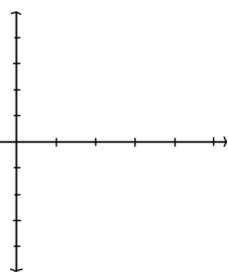
$$\text{Vertical shift} = d, \quad \begin{array}{l} \text{up if } d > 0 \\ \text{down if } d < 0 \end{array}$$



$$y = 3 \cot\left(\frac{\pi}{5}x\right) + \frac{3}{2}$$

"amplitude":

period:



horiz. shift:

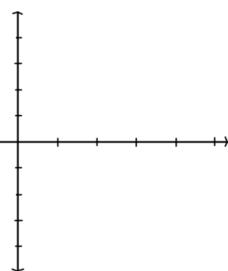


vert. shift:

$$y = \frac{1}{2} \tan\left(\frac{\pi}{2}x + \pi\right) - 1$$

"amplitude":

period:



horiz. shift:

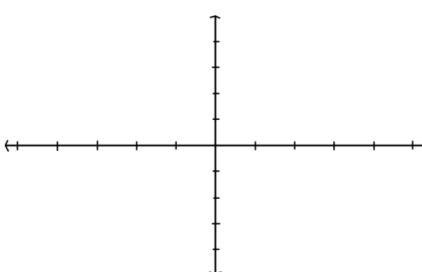


vert. shift:

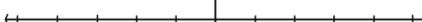
$$y = 4 \csc\left(3x - \frac{3\pi}{2}\right) + 2$$

amplitude:

period:



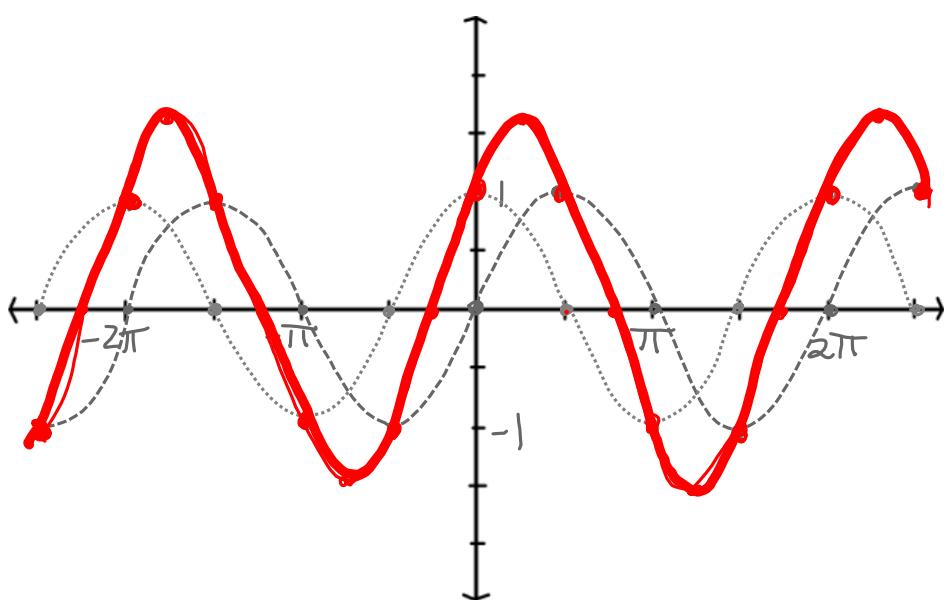
horiz. shift:



vert. shift:

amplitude:

$$y = \sin x + \cos x$$



$$\begin{aligned}y &= 2\sin x - \cos 2x \\&= 2\sin x + (-\cos 2x)\end{aligned}$$

*amp 2 per  $2\pi$*       *amp 1 per  $\pi$*

